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Implementation of Split Signal approach with Multiple Supports of Matching Pursuit for reconstruction of Sparse ECG signals

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***Abstract*— Compressive sampling is modernistic technique for procuration of signals and recovering of sparse ECG signals which oblige a rate of sampled beneath of the Nyquist rate. The present action of this paper contains the compressed and recovering the bio-medical signal (here using ECG signal) in order to achieving the less consumption of energy and less sampled rate in area of WBAN. WBAN is mainly used to accumulate and send the biomedical information by usage of sensors which attached inward and outside upper layers of body for monitoring, feedback of health. Main concept of this article is implementing algorithm in Greedy pursuit with absence and presence of noise i.e SS-MSMP (Split Signal for Multiple Support of Matching Pursuit). This is quickest method , which recommended the selecting the support indices via estimating the best corrosion among remaining indices & measurement matrix. The essential systems are finished by observational and logical of an alternate ECG flag downloaded from PhysioBank. Numerical investigations comes about demonstrate that the new calculation performs well in term of recreation quality contrasted with existing calculations as far as many variables.**

***Key Terms*—Compressed Sensing, MSMP Algorithm, Sensing Matrix, percent rms difference (PRD), RSNR.**

I. Introduction

ECG is health care device which does not disturbing any body cells while diagnosing any person. In procedure of diagnosing the huge data has to be recorded, these causes the maximum timing space and consumption in power. Hence Compression is needed. ECG signals shows redundancy which furnish a high similar support for compression. CS concept substitute arbitrarily determined sampling & recovering operation by the process of random elongated projections and accession scheme in assortment of regaining actual signal. CS makes the biomedical signals into sparse, sparse is No. of significant blocks. Using this fewer observations reconstruct the actual ECG signal. This fewer coefficients encloses a sufficient data to performance, transmit and regain. Due to some of bit samples are shrunk, wireless nodes lifetime increases and scaled down power consuming. Implementing this theory of CS, size of the data going to be reduced and data transmission required very less bandwidths and minimum power and more efficiency while in processing data. Advantage of compressive sampling is encoder of hardware is more simpler, minimal complexity, low volume of traffic and low delay. Whereas in non-compressible sampling, processes starts by acquiring a huge length of signals and computed it by a projections and required basis thereafter[1][2] send this both matrix. This overall stages makes the wastage of resources since more data is accumulated where all data are not significant to reconstruct.

1.1 *Compressive Sensing*

CS is one of new framework and apparent platform for signal retrieval and processing. CS rely upon the work of Candes, Needell and Troop which express a greatly reduced of signal compression and processing, the signal sampling frequency, the cost of processing time, data storage and transmission.

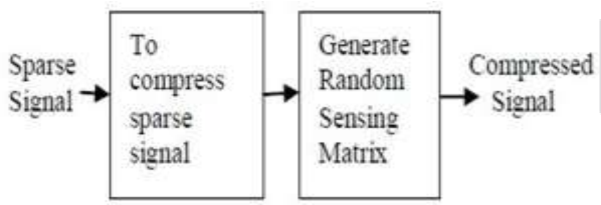

Fig.1: CS Transmitter

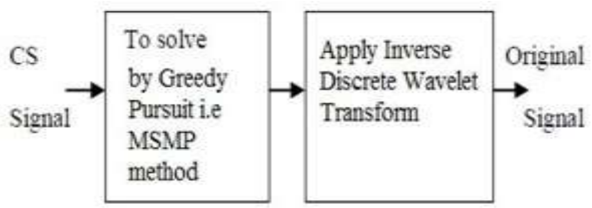

Fig.2: CS Receiver

Signal are going to be sparsity basis by many transformation such as FFT, DCT. In paper Haar wavelet is used and it is more attractive and prominent tool particularly in signal compressing due to properties of multi-resolution & more energy compaction. It function is to decomposes signal into various level of high pass filter which contains the detailed coefficients and low pass filter which brings out the approximation coefficients. On encoding part uses a appropriate domain which makes into sparse and dimensionality of signal samples will be N similarly in decoding side regaining the signal by Greedy pursuit.

Fundamentally, we are trying to appeared as signal that will be used in theory. We having an N-dimensional signal x that is K-sparse, where K express the fewer non-zero coefficients. Consider a linear equation of undetermined system, x be a signal of length N, K be compressible signal related as K≪N.

$$x = \Psi\alpha \qquad (1)$$

Ψ be ortho basis and α be coefficient has K significant entries.
The random linear projection:

$$Y = \Phi(x)+e \qquad (2)$$

Here Y is the compressed measurement matrix with M<<N coefficients, sensing matrix Φ (M×N) and e is noise. For K<M<N, then only regain the signal x from Y using with a small set of samples and satisfied Φ and $(\hat{x})$ with the unique solution of l1[3] minimization problem, given as

$$(min\ \|\propto\|_1\ \ s.t\ y = \phi\psi\alpha). \qquad (3)$$

Sensing matrix Φ is mutual coherence coefficient with Ψ and is represented as:

$$\mu(\phi,\psi) = \max_{1\le i,j\le N}\left\langle \phi_i^T, \psi_j \right\rangle \qquad (4)$$

To reconstruct the as its of original signal should fascinate with RIP (δ):

$$(1-\delta_K)\|x\|_2^2 \le \|\phi x\|_2^2 \le (1+\delta_K)\|x\|_2^2 \qquad (5)$$

The RIP is discriminate by virtue of x norm. The y_p and y_r are expressed as :

$$y_p = proj(y,\phi_I) = \phi_I\phi_I^{\dagger} y$$
$$y_r = resid(y,\phi_I) = y - y_p \qquad (6)$$

II. Implementation Method

The new novel methodology is different from earlier method. In coding process, read ECG signal and perform DWT and sensing matrix to make sparse. In decoding process implement the MSMP a new restoration algorithm and use a stopping theorem to terminate from the algorithm and uses a inverse dwt to obtained coefficients of detail and approximate signals. For noisy signal, it endorse a new replacement technique known as Multiple Supports of Matching Pursuit De-noising (MSMPD), that uses condition(1) for stopping circumstance just in case the signal is tormented by White Gaussian Noise (WGN). The both coding and interpreting process is termed as Split Signal for Multiple Supports of Matching Pursuit (SS-MSMP) algorithm. Figure 3 is shown in below, outline of SS-MSMP are reads the data taken from physio.net, divide them with length n, each segment[4] x_i, sensing matrix size of $\phi_{M\times n}$. Segmentation has two merits: initially the coding operation becomes quick & computation processes reduced; secondly pledge with similar sensing matrix $\Phi_{M\times n}$ for every segments in the whole operation.

2.1 MSMP Method

Methodology rely upon behavior of support through selecting the most effective correlated values among residual and sensing matrices similarly finds its indices. Parameters are L i.e least support confide on M (L=M/16). It mainly depends on its discipline in selecting several supports then chooses the most effective set that gives best effective results for regaining the original signal. The traditional strategies like OrthogonalMP, CoSamplingMP and Subspace pursuit selecting scale K is rigid, where in proposed algorithm backing sets is varied among k_c [5][6]& L for every iteration. whereas 50% of k_c is important support of I_{ini} and L is the least support and these all supports are displaying in Figure 4.

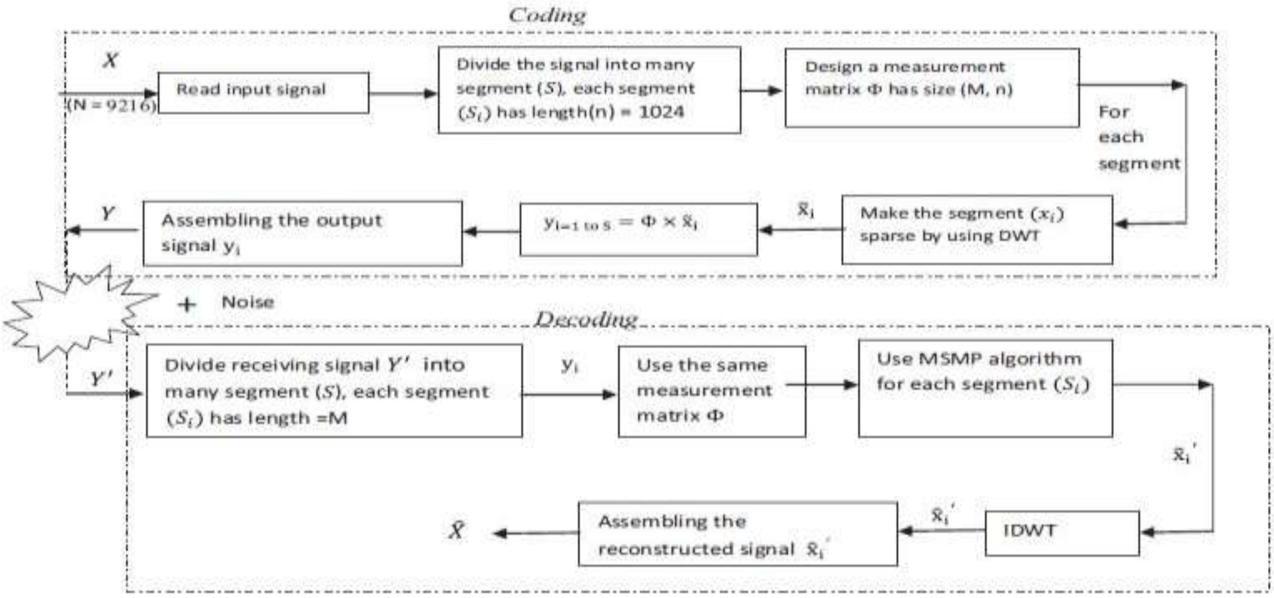

Fig.3: SS-MSMP Block Diagram

The detailed procedures of the MSMP method is listed as follows: In every iteration, residual (r_{ini}, r_{new}) is used get the supreme support. ($I_{ini}, I_{max\,1}, I_{prv}\, and I_{max\,2}$) are find by union or intersection between some support ($F_1 and F_2$). Using condition the process will be halted and this theorem basically lean on selecting authentic support with length L. This genuine support would offer the minimal norm value compared with a norm (y). By the way of selecting appropriate support, it obtained a lesser range of computational complexity and iteration compared with other traditional method.

Algorithm: ***Multiple support matching pursuit Algorithm***.
Input: Sensing matrix Φ, Sampled vector y, Least support L.
Initialization:

1. Initially support set starts through detecting L indexes which yields to get most indices I_{ini} by way of autocorrelation among y and Φ.
   $$I_{ini} = \max\_index(\phi' y, L)$$
2. I_{ini} is used to find a initial residual r_{ini}, which is equal to $r_{ini} = y - \phi_{I_{ini}}^{\dagger} \backslash y$
3. $k_c = \frac{|I_{ini}|}{2}$
4. Next Support value $I_{max\,1}$ is finding by chosen of maximal autocorrelation among Φ' and r_{ini} with k_c indices and z_1 is electing maximal indices by autocorrelation among Φ' and r_{ini} with N indices which have arranged in downward, Hence from the z_1 indices k_c are chosen for finding $I_{max\,1}$.
   $$I_{\max 1} = \max\_index(\phi' r_{ini}, k_c)$$
   $$z_1 = \max\_index(\phi' r_{ini}, N)$$
5. Then finding new support I_{new} by adding both support I_{ini} and $I_{max\,1}$.
   $$I_{new} = I_{ini} \cup I_{\max 1}.$$
6. Calculate the new residual
   $$r_{new} \leftarrow resid(y, \phi_{I_{new}})$$
7. Initialization stage are ended via assigning brand new values of support and residual to $I_{prv}\, and r_{prv}$.
   $$r_{prv} \leftarrow r_{new}$$
   $$I_{prv} \leftarrow I_{new}.$$

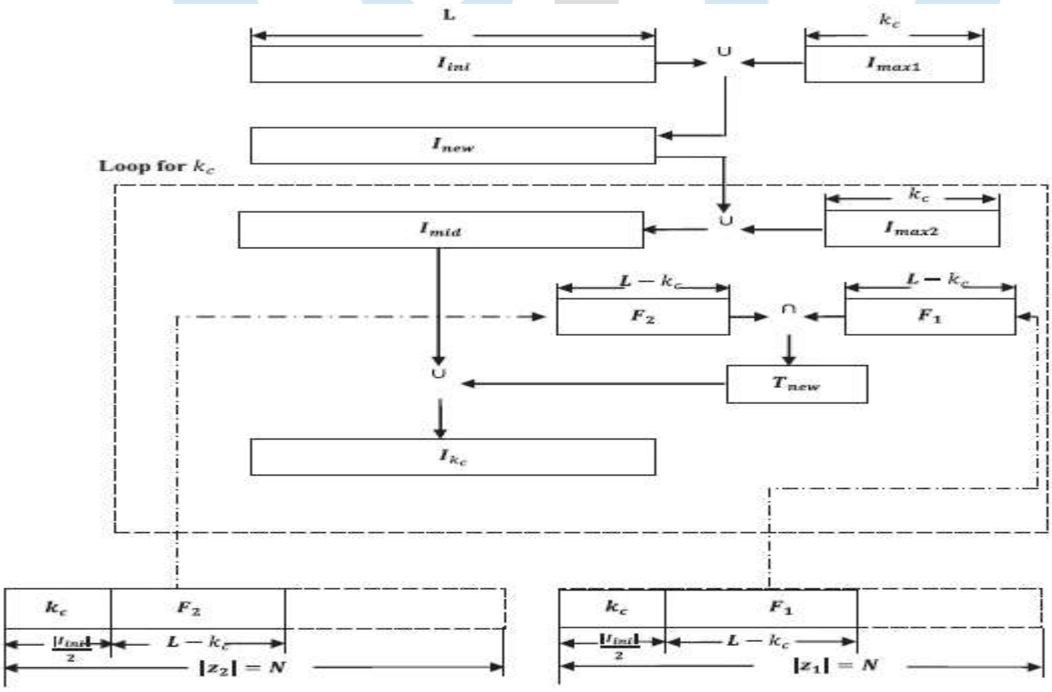

Fig.4: Description of reconstruction procedures used in MSMP method

Iteration:

1. The next process is the iteration process which starts through increasing k_c value.
   $$k_c \leftarrow k_c + 1$$
2. Locate biggest k_c indexes by selecting in the z_2 support set which has a range identical to N, using k_c indices find most approach value of auto correlation among Φ and r_{prv}.

$$I_{\max 2} = \max\_index(\phi' r_{prv}, k_c)$$
$$z_2 = \max\_index(\phi' r_{prv}, N)$$

3. Merging the $I_{max\,2}$ obtained from z_2 and previous support I_{prv} are formed into new merged support called as Intermediate support I_{mid} .
$$I_{mid} = I_{prv} \cup I_{\max 2}$$
4. Common elements are collected by choosing $(L - k_c)$ elements between the rest indices of z_1 and z_2.
$$F_1 \leftarrow index(z_1)_{k_c+1\rightarrow L}$$
$$F_2 \leftarrow index(z_2)_{k_c+1\rightarrow L}$$
$$T_{new} = F_1 \cap F_2$$
5. New support I_{k_c} is formed
$$I_{k_c} = T_{new} \cup I_{mid}$$
6. Signal $\hat{X}$ is estimated by applying the least square for indices I_{k_c} support set and obtained its residual.
$$\hat{X}_{I_{k_c}} \leftarrow \phi^{\dagger}_{I_{k_c}} y$$
$$r_{k_c} \leftarrow resid(y, \phi_{I_{k_c}})$$
7. Iteration will halted as per condition in condition (1) or when the value of $k_c \geq L$, if this stopping condition is true, then quite the iteration. and value of very last support equal to I_{k_c} and envisioned signal will be a least squares of $\phi_{I_{k_c}}$ and y. Else $r_{prv} \leftarrow r_{k_c}, I_{prv} \leftarrow I_{k_c}$, continue iteration if $k_c \leq L$.

Output:
1. $I_{final} = I_{k_c}$
2. $\hat{X} \in R^N$ Such that $\hat{X}_{I_{final}} \leftarrow \phi_{I^{\dagger}_{final}} y$

Condition 1: For noiseless signal halting condition, if any vector x has K-sparse, $x \epsilon R^N$, sensing matrix $\Phi \in R^{m\times N}$, and $y \in R^M$ symbolize y, the method perfectly regain $y = \Phi x$, if

$$\left\| y - y_r^I \right\|_2 \leq \frac{\delta_{2L}}{1 - 2\delta_{2L}} \left\| y_r^{I-1} \right\|_2$$

where assume δ_{2L} = 0:488, L is Least support and ι represents current iteration. Proof of condition 1 can be found in Ref [5].

III. SIMULATION RESULT AND ANALYSIS:

In this section, introduced a experiments and performance of our new Proposed method on reconstructing the sparse and compressible signals. Some performance paradigm are

Compression Ratio(CR): CR is outlined as dimensions of actual signal over dimensions of recovering signals.

Mean squared error (MSE): It is outlined monochrome noise-free and approximate noise.

Percentage Root-Mean Square Difference(PRD): It is measure of distortion in the reconstructing signal to actual signal.

$$PRD = \sqrt{\frac{\sum_{n=1}^{N} [P - \hat{P}]^2}{Q}} \times 100$$

where P and $\hat{P}$ are the unique & reconstructed indicators of duration N respectively. The PRD shows reconstruction constancy via point sensible assessment with the authentic data. $Q = \sum_{n=1}^{N} [P - \bar{p}]$; $\bar{p}$ is average value of signal.

The experiments introduced the performance of the compression and MSMP on reconstructing a sparse signals. Many matrices can finished through randomized of their entries which are impartial and dispensed identically it must satisfy RIP situation having excessive possibility. Many well-known matrices used in CS are Gaussian ,[1]Bernoulli, Fourier, and Binary Matrices. In the simulation, set of rules is designed with the signal that has lengthy movement which include the ones discovered in PhysioBank library. Tested on database of s0010_re(v2) chosen from library, signal total[4] length N = 9216, segment duration n = 512 which makes 18 segments, K = 124, RIP value δ_{2L} = 0.488, a random binary matrix where size M×N wherein N = 1024 and M = 250 are used for signals level sparsity. Fig.5a demonstrates original ECG signal and divided into few segments; Fig.5b shows the Gaussian noise; Fig. 5c shows the outcomes results of proposed method. For every phase, the new SS-MSMP can regain signal in handiest four to five phases according to section, the least support L is 64. The algorithm counseled stopped by condition(1) allows to get the proper result in a completely rapid way.

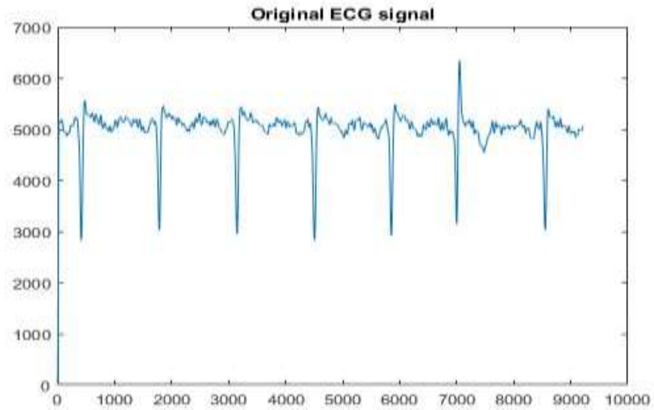

Fig.5a

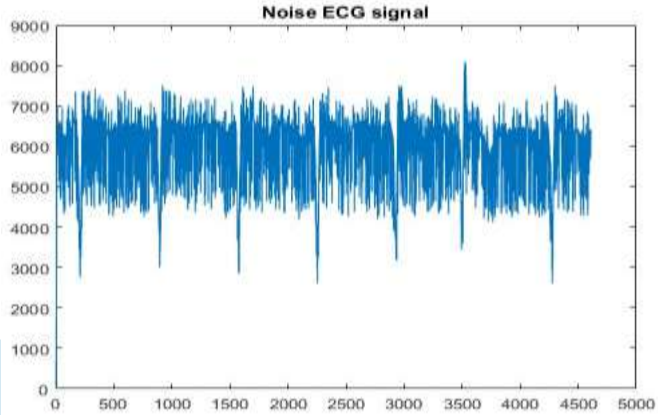

Fig.5b

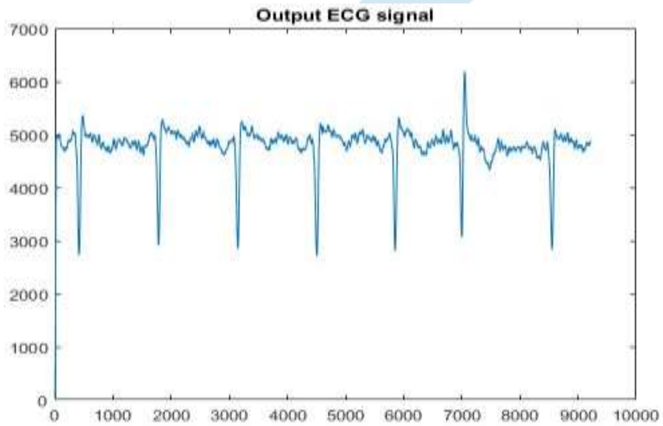

Fig.5c

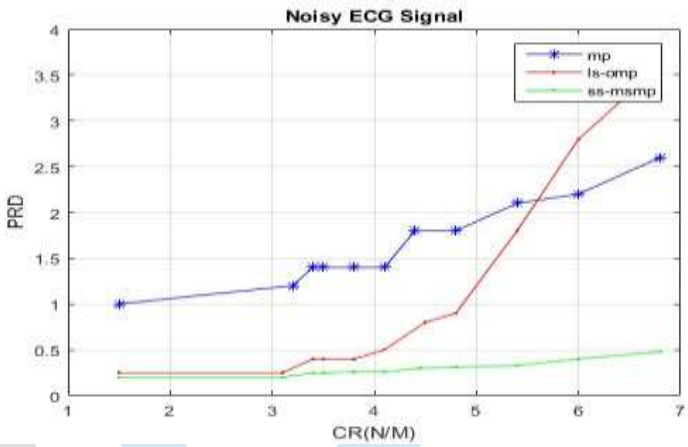

Fig.5d

Fig.5d shows the comparing the consequences of proposed approach and traditional methods with the help of condition(1), PRD effects for proposed technique outperform the preceding technique because they take advantage of more statistics from the signals.

IV. CONCLUSION

In paper, we proposed a greedy algorithm, Split Signal approach for Multiple Support Matching Pursuit(SS-MSMP) are implemented. Proposed method are evolved to recover sparsified signal, since noise are consistently found in a sensible data of system acquisition, most endeavor techniques are furnished. This method provide a success recovering of favored signal & achieved a finite reconstruction.

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