

# Restrictive Channel Routing Using Genetic Algorithm

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**Abstract:** This paper explores the comparative Study of classical Heuristic Left Edge Algorithm and newly proposed Left Edge Algorithm of Channel Routing to find the best possible near optimal Solution. The main aim of this project is to reduce the number of tracks and to minimize the channel Height of the assigned net list. As the algorithm is Heuristic, we will apply the classical Genetic Algorithm where the three steps Selection Crossover and Mutation will be followed based on a particular Fitness function. This algorithm will use and implement the Horizontal Constraint Graph (HCG) and Vertical Constraint Graph (VCG) and Testing Table; Testing Graph will also be implemented for acting as a input to the fitness function.

**Index Terms-** Left Edge Algorithm, Horizontal Constraint Graph, Vertical Constraint Graph, Testing Graph, Fitness Function

## I. INTRODUCTION

### A. Channel Routing

Routing Problem is a VLSI design problem that involves completing the required interconnections between different modules. Several routing strategies exist for achieving efficient interconnection between different Modules. Channel Routing is one of the most important routing techniques. The Channel Routing Problem (CRP) is the problem of interconnecting all of the nets in a channel with the least amount of routing space possible. Since a channel's number of terminals is set, the channel's area is reduced by reducing the number of tracks used to accommodate all of the nets' horizontal wire segments.

We look at the Reserved Manhattan Routing (RMR) model, in which a specific form of interconnect segment is assigned to a specific set of Layers. The horizontal and vertical wire segments are positioned in two separate layers in the two layer RMR model when routing a path. Similarly, when routing a channel in a three layer RMR model, a collection of layers is set aside for horizontal wire segments and the remaining layers are set aside for vertical wire segments before designing algorithms to ensure that the routing solutions computed are suitable and fabricated.

We presume grid-based routing models in which wire segments from two separate nets cannot overlap on two adjacent layers of interconnect. Via through holes, wire connections between orthogonal wire segments of the same net on adjacent

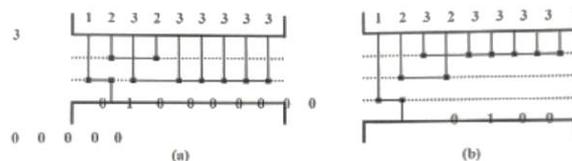


Fig. 1. Routing Solutions

layers are made. The alternating reserved multi-layer Manhattan routing (ARMMR) model, which is a generalization of the RMR Model, is a naturally developed Multi-Layer Routing model. The Manhattan routing Model is advantageous because it is one of the most realistic routing models from a variety of technology-supported design aspects, and it is commonly used in industries due to its flexibility, modularity, and acceptability. In our Routing Model, we alternately use the reserved layers, reducing the unwanted electrical hazards caused by wire segments from two separate nets overlapping on adjacent layers, and eliminating the need for stacked through holes connecting wire segments allocated to nonadjacent layers.

The two-layer CRP for area minimization is known to be NP-Complete [12], while the two-layer CRP for wire length minimization is known to be NP-Hard [19]. As a result, it's impossible that a polynomial-time algorithm exists that computes a routing solution with the smallest number of tracks and/or total wire length. As a result, several two-layer heuristic algorithms are employed in the computation of the minimum field. We may mistakenly believe that a minimum area routing solution also produces a minimum wire length routing solution and vice versa, allowing us to create heuristics for either. It's almost as if developing heuristics for computing minimum area and minimum wire length routing solutions separately isn't necessary. However, we've noticed that minimum area routing solutions don't always mean minimum wire length routing solutions, and vice versa. Figure 1 depicts an example of this.

Since the routing solution in Fig. 1(a) uses the shortest total wire length (despite requiring more channel area), the routing solution in Fig. 1(b) uses the shortest total wire length (despite requiring more channel area), which is less than the wire length used in routing the channel in Fig. 1(a).

We use a graph theoretic system called Track Assignment Heuristics (TAH) in this paper to compute a minimum-area routing solution. In channel routing with area minimization is a classic problem that has been regarded as the most critical cost efficiency criterion since the CRP's inception. The CRP is often characterized in terms of the feasibility of a routing solution that uses the smallest possible channel field. Minimization of area is also critical from the standpoint of removing impurities in wafer fabrication. As the die size shrinks (due to advances in packaging technology) and the area needed to route a channel shrinks (due to the development of novel algorithms), yield rises.

Another important cost efficiency criterion that we consider in this paper is the total wire length needed to route a channel. The length of the wire needed to route a critical net point of view is also part of the wire length minimization issue. In high-performance routing, the routing solution's performance is just as critical as its feasibility. Crosstalk delay, power consumption, hot spot formation, frequency distribution, power density distribution over a chip, and other factors all affect the performance of a routing solution. Unwanted Crosstalk is an electrical hazard that has developed as a result of a chip's functionalities. Devices and interconnecting wires were put closer together as fabrication technology advanced, allowing circuits to work at higher frequencies. Crosstalk between wire segments occurs as a result of this. Delay is a factor that causes a device to fail to propagate signals to specified destinations in a timely manner. In both of these situations, the total wire length must be kept to a minimum. Rather, the increased wire length used to route a channel increases power consumption. As a result, we consider the total wire length minimization problem as one of the most significant high performance criterion in this paper, and create an algorithm for optimizing it within the TAH framework.

**B. Preliminaries**

The horizontal wire segment (i.e. the Spans) of the nets must be distributed among a minimum number of tracks in order to compute a feasible routing solution of minimum area, which is guided by two important constraints, namely the horizontal constraint and the vertical constraint. Two graphs can be used to describe these constraints: the Horizontal Constraint Graph and the Vertical Constraint Graph. The maximum number of nets passing through a column in a channel is called its local Density. The channel density is the sum of the local densities in all of the channel's columns. Let's call the maximum channel density  $d_{max}$ .

Consider the channel instance depicted in the diagram below. The number of nets passing through column 1 is one, column 2 is three, column 3 is five, and so on for this channel. So column 1 has a local density of one, column 2 has a local density of three, and column 3 has a local density of five. The channel density is five, by the way.

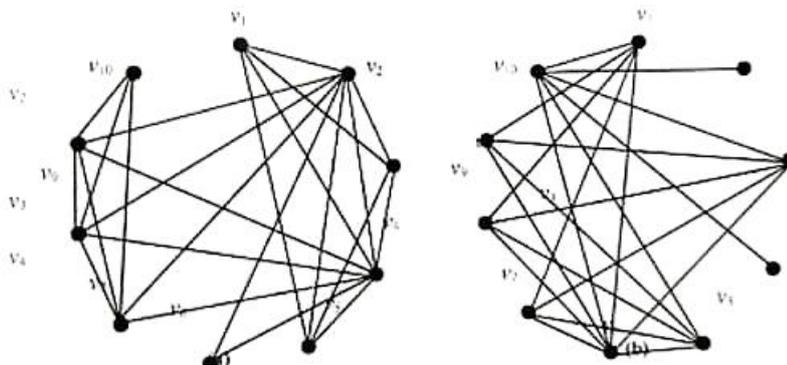


Fig. 2. Net with Required Interconnection

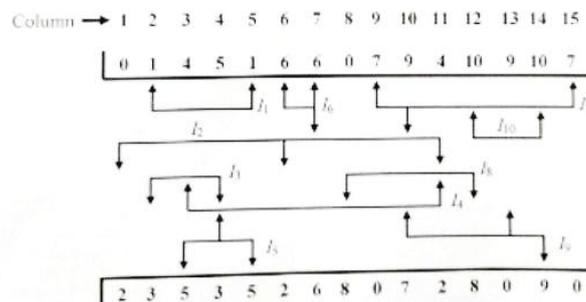


Fig. 3. HCG and HNCG

The complement of the HCG is used to describe horizontal constraints in this paper. The horizontal non constraint graph (HNCG) is the complement of the HCG,  $HC=(V,E)$ , and is denoted by  $HNC=(V,E)$ , where  $V$  is the set of vertices corresponding to the nets in a channel, and  $E=Vi,Vj—Vi,Vj$  does not belong to  $E$ . Horizontal Constraints are defined by the HNCG, which was first proposed in [18]. In a routing solution, a clique, or maximal complete subgraph of the HNCG, corresponds to a set of non-overlapping intervals that can be safely allocated to the same route. The HCG and HNCG of the channel instance of Figure 2 are shown in the following diagram:

The HCG is a perfect graph since it is an interval graph. The induced sub graph  $HNCs=(S,Es/)$  of the HNCG, i.e. the

HNCG, HNC = (V, E), is also a comparability graph. It's worth noting that the size of the clique in HCG is the same as the maximum independent set generated by the vertex set V1, V2, V3, V4, V5. As a result, the channel density (Dmax) in figure 2 is Five, since the nets n1 through n5 overlap at column 3 (or column 4) of the channel.

The vertical constraints of a channel are represented by the VCG,  $VC = (V, A)$  formula. Let us denote the length of the longest path in the VCG as  $V_{max}$  for an acyclic VCG. In other words,  $V_{max}$  is equal to the number of vertices in the VCG's longest direction. An acyclic VCG is a VCG that offers a sequence of ordering of the nets in a channel along the channel's height. Figure 4 shows the VCG for the channel instance in figure 2. In Figure 4, the value of the  $V_{max}$  of the VCG is clearly three.

The lower bound on the number of tracks needed in computing a two layer VH routing solution in the RMR model is the limit of  $d_{max}$  and  $V_{max}$ . A trivial lower bound on the number of tracks is what this is called.

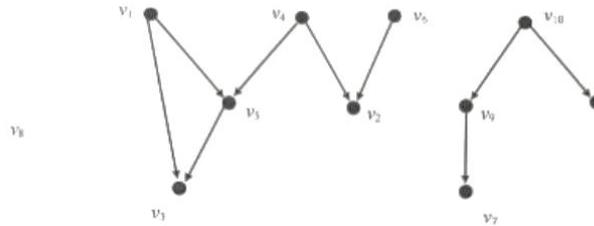


Fig. 4. VCG

The shape of a net's route in a channel is critical when computing a routing solution in a given routing model. Dog-legging occurs when a net's horizontal range is divided into two or more sub segments for the purpose of assigning them to separate tracks in a routing solution. Otherwise, we call it no-dogleg routing when a net's horizontal width is assigned to a single track of a (horizontal) layer of interconnect. Frequently, doglegging aids in the computation of a feasible routing solution (which may not be possible in non-dogleg routing) or a routing solution with a smaller channel field (where no dogleg routing solution may require more area or more number of tracks). In any case, the dogleg-routing model is easier to implement and needs less through holes when switching conducting layers.

In this paper, we use the framework Track Assignment Heuristic (TAH), which was built to compute minimum area routing solutions, to create a purely graph theoretic framework for computing minimum wire length routing solutions for two and three layer channels. For most of the well-known benchmark channels, the method is used to compute routing solutions using an optimal or near-optimal number of tracks and/or reduced total wire lengths. The structure introduced in this paper is unique in that it defines suitable sets of eight in a logical order of priority for computing the above-mentioned routing solutions. Backtracking is not included in any of the framework's algorithms. The performance of the algorithms in this paper is very promising. Almost all routing solutions are computed to minimize total wire length, despite the fact that this algorithm does not take up much space in doing so.

**II. OVERALL DESIGN OF THE PROPOSED SYSTEM**

Let us now move on to the formal formulation of the problem. A channel is represented by two sequences, Top and Bottom, in which the channel's top and bottom rows are respectively located. Both sequences are C in length (number of columns in the channel). Net = N1, N2, N3, ..., Nn, where n is the number of nets, is the set of nets. For example, Top = 1,0,3,1,4,2,3,2 Bottom = 6,4,6,6,3,0,5,5 where C = 8 and n=6 NET=1,2,3,4,5,6 The channel's configuration with linked nets is depicted in the diagram below.

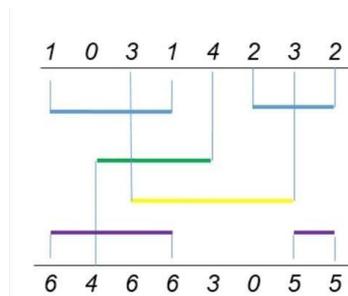


Fig. 5. Net Assignment on Tracks

Vertical and horizontal section overlaps can be avoided using graphs of vertical and horizontal constraints. The directed Constrained Graph (GV) = (ENet, EV) describes vertical constraints, where ENet is the set of vertices that corresponds to the set of nets and EV is the set of connections. Edge(n,m) in E occurs only if and only if net n is placed above net m to prevent crossings of the vertical segments of nets. For example, in GV in Fig. 2, there is a path from node 1 to node 6, indicating that net 1 must be positioned above net 6 to prevent vertical segment crossing. GV should be acyclic for contacts 1 and 4 (Fig. 1).

To solve the problem using the RCRP system. Doglegs, which are not allowed in the RCRP, can be used to fix the problem if nothing else is done. We will use an Extended Vertical Constraints Graph GEV = (ENet, EEV) in this article, where ENET denotes the set of nets and EEV denotes the set of ties. If and only if there is a path from vertex n to vertex m in GV, edge (n,m) in EEV exists.

In Figure 2, there is a path from node 4 to node 5 that passes through node 3. As a result, In GEV, there is an edge (4,5).

Horizontal constraints are presented by the Horizontal Constraints, which are undirected.  $E_{net}$  is the set of nets, and  $E_H$  is the set of edges in the graph  $GH = (E_{net}, E_H)$ . Edge  $(n, m)$  occurs in  $E_H$  if and only if  $n$  and  $m$  must be routed on  $n$  separate tracks to prevent horizontal segments  $n$  and  $m$  colliding. There is an edge  $(1, 4)$ , for example, indicating that net 1 cannot be put on the same track as net 4.

### III. GENETIC ALGORITHM FOR RESTRICTIVE CHANNEL ROUTING

The Genetic Algorithm (GA) is an iterative method for processing a population of individuals (Solutions). Each person has a chromosome that encodes a potential solution. GA, like any other search method, necessitates some kind of criteria for evaluating the results. This criterion, known as the fitness function, estimates an individual's efficiency. Various genetic operators, such as crossover and mutation, are then applied

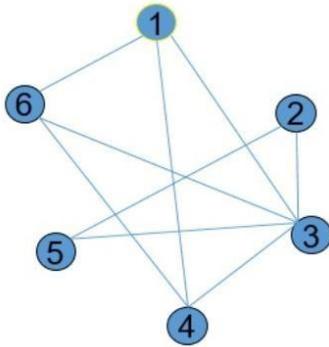


Fig. 6. HCG

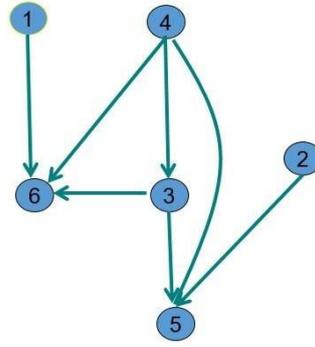


Fig. 7. VCG

to solutions selected from the population using the selection operator, with certain probabilities  $PC$  and  $PM$ , respectively. In subsequent iterations of the algorithm, known as Generations, the population is made up of the best parents and offspring. This project employs a novel topological channel description. The relative locations of the nets are thus defined by a chromosome. Each pair of nets  $(n, m)$  corresponds to a gene, which can have three different values:

- - relative location is irrelevant to the relative positions of the other nets
- 0 – net  $m$  should be placed above net  $n$  – net  $m$  should be placed below net  $n$

In this case, the chromosome length is  $n-1 \sum_{i=0}^L I_i = 0$ , which is very long. The analysis of  $GEV$  and  $GH$  which result in a shorter duration. Since the relative positions of certain pairs in nets are already set in  $GEV$ , the decrease is possible. Constraint breaches occur when these positions are

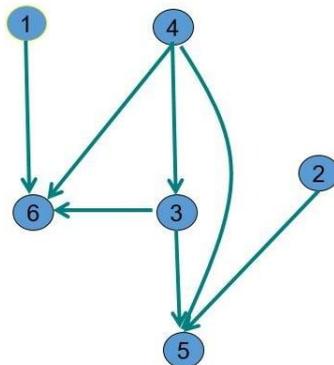


Fig. 8. Extended VCG

changed. The following is the second observation that allows for chromosome length reduction: If there are no horizontal constraints on nets, their relative locations are irrelevant or can be deduced from their interactions with other nets. In the illustration above, a '\*' sign denotes this fact. As a result, a chromosome's length is:  $NGC - NEVC = L$ . The number of horizontal constraints imposed by  $GH$  is  $NGC$ , and the number of vertical constraints imposed by  $GEV$  is  $NEVC$ .  $GEV$  determines the relative positions of pairs of nets  $(1,6), (2,5), (3,4), (3,5), (3,6), (4,6)$  in our example. Since the nets in these pairs do not have horizontal constraints, their relative locations of the nets  $(1,2), (1,5), (2,6), (4,5), (5,6)$  are insignificant. As a result, the chromosome will have a length of 3 and will appear as shown below.

We use guided Topology Graph  $GT = (E_{net}, E_T)$  to get an instance of a channel from a chromosome, where  $E_{net}$  is the set of nets and  $E_T$  is the set of links describing the relative locations of the nets in the channel. Edge  $(m, n)$  occurs in  $E_T$  if and only if net  $m$  is located above net  $n$  in the pipe. The topological graph will look like this if the Gene was 0 1 0.

We'll use the LEA to route the channel after we've generated the topological graph, and the routing diagram will look like this: Figure 3A The following is a list of simple fitness exercises that can be used to solve this problem:  $TotalWireCost + th = c1 * (t+1) + c2 * (TotalTrack - t + 1) / Net$

$F(A) = TotalWireCost + th$  2) There is a track number assigned to it. 3)  $c1$  denotes the number of upper terminals in a given network.



### A. Experimental Result

Consider the following net list for net length 12, where the upper boundary is 0 1 4 5 1 6 7 0 4 9 10 10 and the lower boundary is 2 3 5 3 5 2 6 8 9 8 9 8 7 9. If we use the left edge algorithm, the above net list would need 6 tracks, but if we use the genetic algorithm, we can reduce the number of tracks to just 5. To predict the outcome of Restrictive Channel Routing, we used the Left Edge Algorithm and the C++ language. While it is an effective tool, it does have some drawbacks.

## IV. CONCLUSION

Application of the Genetic Algorithm to restrictive channel routing is investigated in this paper. The experiment's findings revealed that the proposed algorithm generated near-optimal solutions in a short amount of time. The proposed chromosome encoding, which is derived from a mathematical analysis of the problem, is credited with these advantages. As a consequence, by removing solutions that cannot be accepted in advance due to constraint violations, the search space is significantly reduced. This is the key benefit of the presented algorithm, which explains why it performs better. The results of this research show that using domain-specific information in genetic operators and encoding schemes will help high-complexity genetic algorithms perform better.

Though the current findings are promising, using Gene sorting and personalized genetic operators, as well as other problem-specific details, further improvements are possible.

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