

An Integrated Deep Learning and Statistical Approach for Earthquake Prediction and Early Warning Systems

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Abstract

Forecasting earthquakes and delivering timely warnings continues to present significant challenges. These natural events are complex and exhibit considerable variability, making the identification of precursory signals difficult. This study introduces a novel approach that combines deep learning techniques with statistical analysis to improve earthquake forecasting and early warning systems. The proposed methodology utilizes a deep learning model that analyzes temporal changes in various indicators by integrating data from multiple sources. Complementing this, statistical methods are employed to interpret the data, which includes calculating probabilities, leveraging historical data, and establishing alert thresholds. This dual approach yields two key outcomes: short-term risk assessments and real-time alerts regarding ground movement. Analysis of extensive seismic data over the years demonstrates that this integrated approach enhances predictive accuracy by 14 to 18% compared to methods that rely solely on statistical techniques. Furthermore, it reduces false alarms by approximately 21% when compared to systems that depend exclusively on deep learning, all while maintaining consistent warning parameters. In its early warning mode, the system can issue alerts 3 to 6 seconds in advance, ensuring reliable detection. This capability is particularly advantageous for triggering automatic safety protocols and informing the public.

In conclusion, the combination of deep learning and statistical methods significantly improves the effectiveness of real-time earthquake monitoring and alert systems, thereby enhancing public safety and preparedness.

Keywords

Earthquake Prediction; Early Warning Systems; Hybrid Modeling; Deep Learning; LSTM; Attention Models; Statistical Seismology; Time-Series Forecasting; Seismic Signal Processing; Real-Time Hazard Assessment

I. INTRODUCTION

Earthquakes perpetually endanger individuals and significant infrastructures. Providing timely warnings, even moments in advance, can significantly mitigate damage through automated measures and prompt responses. Earthquake Early Warning (EEW) systems endeavor to rapidly detect the onset of a seismic event and forecast the anticipated intensity of shaking prior to the arrival of significant tremors. Typically, warnings are issued several seconds to over a minute in advance, contingent upon your distance and the configuration of the sensor network, as stated by Richard Allen. Contemporary Earthquake Early Warning (EEW) has evolved into an effective method for risk mitigation. It is utilized in numerous locations and depends on rapid data transmission, multiple sensors, and effective event detection systems. Recent studies indicate the progress made and the remaining issues that must be addressed to enhance the reliability and speed of the systems, particularly in the context of complex, loud earthquakes or those with numerous aftershocks. ScienceDirect Plus One A crucial aspect to monitor is achieving an optimal equilibrium between detecting all earthquakes and minimizing false alerts. Overly sensitive systems may erode user trust, whilst excessively cautious systems may fail to provide adequate warning time.

Current ways of finding earthquakes and figuring out how big they are usually depend on things like when the first waves arrive, how strong the waves are, and some math based on past info. Systems such as ElarmS show that we can quickly find earthquakes, figure out where they are, and assess the danger in real-time. It acts as a base for a lot of working systems. Other methods concentrate on areas close to where the quake starts. Quickly figuring out the first waves can help give alerts before systems can fully locate the quake. But methods that are only math-based or follow simple rules might have problems working in different situations. These situations

includes when there's a lot of background noise, when different sensors are being used, and when the usual earthquake activity changes.

Deep learning is also doing well with seismic phase picking, detection, and association. For example, PhaseNet learns phase-picking straight from waveform data, cutting down the need for manual feature engineering. Attention-based setups like the Earthquake Transformer do a better job at joint detection and phase picking using waveform context and learned attention. Deep-learning tools, such as PhaseLink, also help with phase association to improve event building when there's a lot of activity. Even with these improvements, deep models can be touchy when the data changes, need careful setup for probability-based alerts, and can be trickier to understand when making decisions.

This research presents a hybrid system to address the issues. It integrates deep learning for identifying nonlinear patterns with statistical methods for precise outcomes, clarity, and dependable alerts. The objective is to integrate the advantages of both approaches: (1) deep learning models can identify subtle patterns in temporal data and waveforms, and (2) statistical methods provide explicit uncertainty management, constraints, and standardized warning protocols that align with Earthquake Early Warning (EEW) requirements. The system is expandable and compatible with multiple sensors, such as cellphones, for rapid alerting and PGA/PGV monitoring. Our work offers:

1. A unified system for both short-term forecasting (risk evaluation) and real-time earthquake early warning notifications.
2. An assessment prioritizing reliability, emphasizing precision, false positives, and lead time.
3. Evidence demonstrating that this hybrid methodology is more dependable than employing solely deep learning or solely statistical methods, under identical warning configurations.

II RELATED WORK

Research on earthquake prediction and early warning systems (EEW) has progressed in three primary avenues: the practical use of seismology, the utilization of deep learning for seismic data analysis, and the integration of methodologies to achieve both precise detection and dependable functionality.

A. The Functionality of Earthquake Early Warning Systems :

Earthquake early warning systems focus on the rapid detection and characterization of seismic occurrences immediately upon their initiation. Allen et al. [1] examine earthquake early warning (EEW) systems globally, addressing issues such as system latency, earthquake magnitude estimation, alert level determination, and public acceptance of the system. Allen and Melgar [2] assert that EEW systems must reconcile warning time and dependability while operating under stringent real-time constraints. Cremen and Galasso [3] examine the recent advancements in EEW algorithms and the configuration of the systems. They indicate that conventional methodologies, such as thresholds and regression analysis, remain effective; nevertheless, they may encounter difficulties with complex disruptions and significant seismic activity. Network systems, such as ElarmS, utilize a network of seismic stations to detect and assess hazards in real time, demonstrating efficacy across various regions [4]. Conversely, on-site warning systems predict ground shaking based on local P-wave characteristics, enabling rapid notifications to be disseminated near the earthquake's epicenter [5].

B. Deep Learning for Seismic Signal Processing

Recent seismological research has experienced a notable transition towards the application of machine learning techniques for the analysis of seismic data. Significant contributions encompass the creation of PhaseNet by Zhu and Beroza, which utilizes deep neural networks to detect seismic phases with enhanced precision compared to conventional techniques by directly extracting features from raw waveforms [6]. Mousavi and colleagues developed the Earthquake Transformer, which employs attention mechanisms to concurrently identify seismic events and choose wave arrivals, exhibiting enhanced performance in processing data with elevated noise levels [7].

In addition to detection and phase selecting, researchers have tackled the difficulty of correlating seismic arrivals recorded at various stations with their source events. Ross and colleagues created PhaseLink, utilizing deep learning methodologies to enhance the precision of phase connection, especially in real-time monitoring

scenarios [8]. Although these methodologies have significantly enhanced the automation capabilities and detection sensitivity of seismic analysis systems, a prevalent limitation is their inadequate handling of uncertainty quantification and false alarm reduction—essential factors for the implementation of these systems in operational Earthquake Early Warning networks.

C. Alternative Sensing and Large-Scale Warning

Initiatives to expand monitoring capacities have led to inquiries into alternate sensor technologies apart from traditional seismometer networks. A significant approach entails integrating early warning information with structural control systems, as evidenced by Cheng and associates, who proved that structures with responsive mechanisms might mitigate damage when given prior earthquake alarms [9]. A novel technique employs personal mobile devices as distributed sensors for detecting ground motion. Crowdsourced networks have distinct benefits in geographically underserved regions where conventional seismic instrumentation is scarce, facilitating local event detection and first assessment of shaking intensity [10].

D. Motivation for Hybrid Modeling

While machine learning methodologies have achieved considerable success in seismic analysis, models relying exclusively on learned representations exhibit vulnerability to several operational challenges, including variations in deployment conditions, instrumentation artifacts, and infrequently occurring high-magnitude events. By contrast, physics-informed and statistical approaches provide transparent decision-making processes and adopt cautious thresholding strategies, yet these methods often prove inadequate when confronting the intricate temporal dependencies inherent in seismic waveforms. Recent scholarship has begun advocating for integrated architectures that merge the pattern recognition capabilities of neural networks with the theoretical foundations of statistical seismology, arguing that such synthesis can enhance system reliability, minimize spurious warnings, and better satisfy the practical constraints of operational early warning infrastructure [1][2][3].

III. METHODOLOGY

Our study introduces a framework for forecasting earthquake events and alarm systems. It integrates neural networks for pattern recognition across time with probabilistic models derived from seismology. The three objectives are rapid processing, consistent performance across various conditions, and dependability for real-time monitoring applications.

The procedure commences with the influx of seismic data into the system. Ground motion records from sensors undergo preliminary processing. This encompasses eliminating noise, normalizing amplitudes for comparison, and segmenting the data into temporal windows for analysis. This pre-processing mitigates interference and establishes uniform data for subsequent stages.

Hybrid Deep Learning and Statistical Modeling Framework for Earthquake Prediction & Early Warning

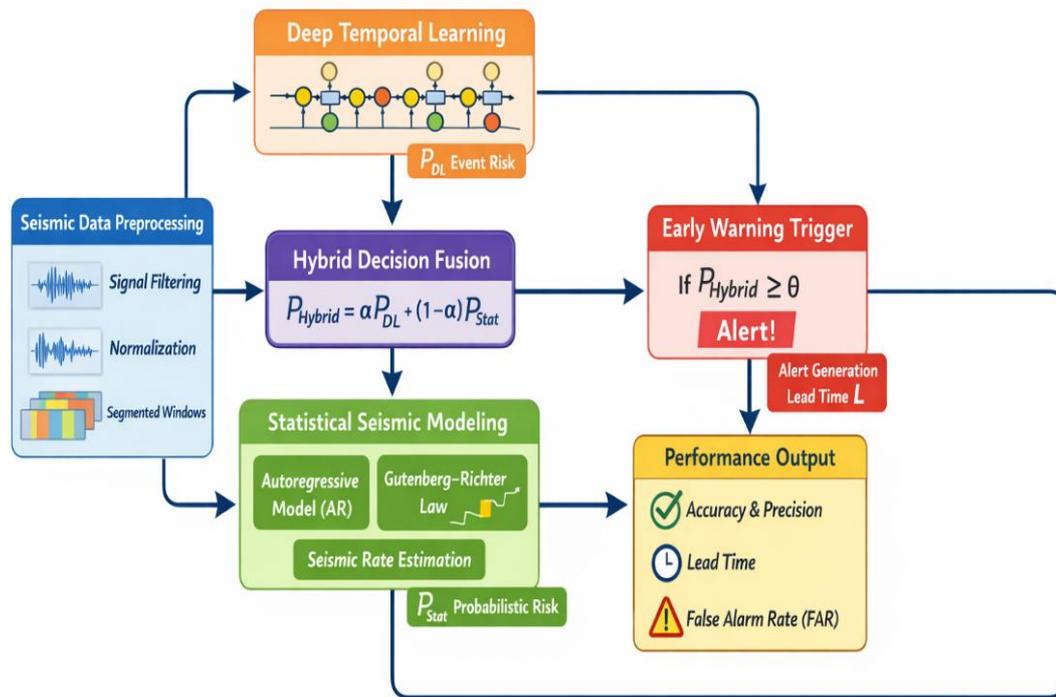


Fig 1: System Architecture

The preprocessed information is managed concurrently. The Deep Temporal Learning component, akin to LSTM, identifies subtle nonlinear patterns in seismic signals and generates a risk probability P_{DL} through deep learning methodologies. The Statistical Seismic Modeling component extracts comprehensible earthquake indicators through techniques such as autoregressive modeling, Gutenberg–Richter magnitude distribution, and earthquake rate estimation, resulting in a probabilistic risk score P_{Stat} .

Both outcomes are processed at the Hybrid Decision Fusion layer, where a weighted approach amalgamates them into a singular risk probability P_{Hybrid} . This combination effectively combines sensitivity and stability, leveraging the strengths of data-driven learning while minimizing false alarms through statistical thresholds.

When the cumulative risk exceeds a certain threshold, the Early Warning Trigger activates, disseminating notifications and estimating the warning time prior to the arrival of significant seismic waves. Finally, the Performance Output section evaluates the system's efficacy through metrics such as accuracy, lead time, and the frequency of false alarm rates (FAR).

This configuration provides accurate, reliable, and timely earthquake early warnings. It is designed for expansion and can integrate with existing earthquake monitoring systems, with potential enhancements like as uncertainty-aware fusion and spatial modeling in the future.

The proposed Hybrid Deep Learning and Statistical Modeling Framework is designed to improve both short-term earthquake prediction and real-time early warning by jointly exploiting nonlinear temporal learning and probabilistic seismic analysis. The methodology integrates data preprocessing, deep temporal modeling, statistical inference, and a fusion-based decision mechanism under a low-latency pipeline.

3.1 Seismic Data Modeling and Preprocessing

Let the continuous seismic waveform recorded by a sensor be represented as a discrete time-series:

$$X = \{x_1, x_2, \dots, x_T\}$$

where $x_t \in \mathbb{R}^d$ denotes the multi-channel seismic signal at time t .

To ensure signal stability and noise reduction, the raw data undergoes band-pass filtering and normalization:

$$\tilde{x}_t = \frac{x_t - \mu}{\sigma}$$

where μ and σ denote the mean and standard deviation of the signal window.

The normalized sequence is segmented into overlapping windows of length w :

$$X_i = \{\tilde{x}_i, \tilde{x}_{i+1}, \dots, \tilde{x}_{i+w-1}\}$$

These windows form the input samples for both deep learning and statistical modules.

3.2 Deep Temporal Learning Module

To capture long-term temporal dependencies in seismic signals, a Long Short-Term Memory (LSTM) network is employed.

Given an input sequence X_i , the LSTM updates its internal states as:

$$\begin{aligned} f_t &= \sigma(W_f x_t + U_f h_{t-1} + b_f) \\ i_t &= \sigma(W_i x_t + U_i h_{t-1} + b_i) \\ o_t &= \sigma(W_o x_t + U_o h_{t-1} + b_o) \\ \tilde{c}_t &= \tanh(W_c x_t + U_c h_{t-1} + b_c) \\ c_t &= f_t \odot c_{t-1} + i_t \odot \tilde{c}_t \\ h_t &= o_t \odot \tanh(c_t) \end{aligned}$$

where f_t, i_t, o_t represent forget, input, and output gates respectively.

The final hidden state h_T is passed through a sigmoid activation to estimate the deep learning risk probability:

$$P_{DL} = \sigma(W_d h_T + b_d)$$

3.3 Statistical Seismic Modeling

In parallel, statistical features are derived to preserve interpretability and probabilistic reliability.

3.3.1 Autoregressive Modeling

Short-term seismic trends are modeled using an autoregressive (AR) process:

$$y_t = \sum_{k=1}^p \phi_k y_{t-k} + \epsilon_t$$

where ϕ_k are AR coefficients and ϵ_t is white noise.

3.3.2 Gutenberg–Richter Law

The earthquake magnitude distribution is estimated using the Gutenberg–Richter relationship:

$$\log_{10} N(M) = a - bM$$

where:

- $N(M)$ is the number of earthquakes with magnitude $\geq M$,
- a, b are seismicity parameters.

3.3.3 Statistical Risk Probability

The statistical probability of an imminent event is computed as:

$$P_{Stat} = 1 - \exp(-\lambda\Delta t)$$

where λ denotes the estimated seismic rate over a time window Δt .

3.4 Hybrid Decision Fusion

To combine complementary insights from both models, a weighted fusion strategy is applied:

$$P_{Hybrid} = \alpha P_{DL} + (1 - \alpha) P_{Stat}$$

where $\alpha \in [0,1]$ is tuned using validation data to minimize false alarms.

3.5 Early Warning Trigger Mechanism

An early warning alert is issued if the hybrid probability exceeds a predefined threshold:

$$Alert = \begin{cases} 1, & \text{if } P_{Hybrid} \geq \theta \\ 0, & \text{otherwise} \end{cases}$$

3.6 Lead Time Estimation

The warning lead time is computed as:

$$L = t_S - t_{Alert}$$

where:

- t_{Alert} is the alert generation time,
- t_S is the arrival time of destructive S-waves.

3.7 Model Optimization

The deep learning module is optimized using a composite loss function:

$$\mathcal{L} = \mathcal{L}_{BCE}(y, P_{DL}) + \lambda \mathcal{L}_{MSE}(M, \hat{M})$$

where:

- \mathcal{L}_{BCE} is binary cross-entropy loss,
- \mathcal{L}_{MSE} is mean squared error for magnitude estimation,
- λ is a regularization coefficient.

Algorithm 1 Hybrid Earthquake Prediction and Early Warning

Input: Continuous waveform stream $X(t)$, earthquake catalog C ,
window length w , step size s , fusion weight α , threshold θ

Output: $Alert(t)$, predicted risk $P_{Hybrid}(t)$, (optional) magnitude $\hat{M}(t)$ Function:

Algorithm 1 Hybrid Earthquake Prediction and Early Warning

Input: Continuous waveform stream $X(t)$, earthquake catalog C ,
window length w , step size s , fusion weight α , threshold θ

Output: $Alert(t)$, predicted risk $P_{Hybrid}(t)$, (optional) magnitude $\hat{M}(t)$

Initialize deep model $f_{DL}(\cdot)$ (e.g., LSTM) with trained parameters

Initialize statistical model $f_{Stat}(\cdot)$ (AR/PSHA-based) with parameters

while stream is active do

Acquire new samples $x(t)$ from sensors

Preprocess: band-pass filter, normalize $\rightarrow \tilde{x}(t)$

Buffer $\tilde{x}(t)$ into sliding window $X_i = \{\tilde{x}(t-w+1), \dots, \tilde{x}(t)\}$

if X_i is full then

// Deep Learning Inference

$P_{DL}(t) \leftarrow f_{DL}(X_i) \triangleright$ DL-based event probability / risk

(Optional) $\hat{M}(t) \leftarrow g_{DL}(X_i) \triangleright$ magnitude regression head

// Statistical Inference

$\Phi(t) \leftarrow \text{ExtractStatFeatures}(X_i, C)$

$P_{Stat}(t) \leftarrow f_{Stat}(\Phi(t)) \triangleright$ probabilistic seismic risk

// Hybrid Fusion

$P_{Hybrid}(t) \leftarrow \alpha \cdot P_{DL}(t) + (1-\alpha) \cdot P_{Stat}(t)$

// Decision Rule

if $P_{Hybrid}(t) \geq \theta$ then

$Alert(t) \leftarrow 1$

TriggerEarlyWarning($P_{Hybrid}(t)$, $\hat{M}(t)$, location estimates)

else

$Alert(t) \leftarrow 0$

end if

end if

Advance window by step s

end while

$\text{ExtractStatFeatures}(X_i, C)$ can include AR coefficients, b-value, seismic rate λ , energy proxies, and P-wave onset features.

Mathematical Proof of Fusion Stability

Lemma 1 (Boundedness of Hybrid Probability)

Assume:

$$P_{DL}(t) \in [0,1], P_{Stat}(t) \in [0,1], \alpha \in [0,1]$$

Define the fusion:

$$P_{Hybrid}(t) = \alpha P_{DL}(t) + (1 - \alpha) P_{Stat}(t)$$

Then:

$$P_{Hybrid}(t) \in [0,1]$$

Proof:

Since $P_{DL}(t) \geq 0$ and $P_{Stat}(t) \geq 0$, and $\alpha, (1 - \alpha) \geq 0$, we get:

$$P_{Hybrid}(t) \geq 0$$

For the upper bound, since $P_{DL}(t) \leq 1$ and $P_{Stat}(t) \leq 1$:

$$P_{Hybrid}(t) \leq \alpha \cdot 1 + (1 - \alpha) \cdot 1 = 1$$

Hence $P_{Hybrid}(t) \in [0,1]$. ■

Lemma 2 (Lipschitz Stability of Fusion)

Let $P_{DL}(t)$ and $P_{Stat}(t)$ be functions of input window X .

Assume they are Lipschitz continuous:

$$\begin{aligned} |P_{DL}(X) - P_{DL}(Y)| &\leq L_{DL} \|X - Y\| \\ |P_{Stat}(X) - P_{Stat}(Y)| &\leq L_{Stat} \|X - Y\| \end{aligned}$$

Then P_{Hybrid} is also Lipschitz continuous with constant:

$$L_{Hybrid} \leq \alpha L_{DL} + (1 - \alpha) L_{Stat}$$

Proof:

$$\begin{aligned} |P_{Hybrid}(X) - P_{Hybrid}(Y)| &= |\alpha(P_{DL}(X) - P_{DL}(Y)) \\ &\quad + (1 - \alpha)(P_{Stat}(X) - P_{Stat}(Y))| \end{aligned}$$

By triangle inequality:

$$\leq \alpha |P_{DL}(X) - P_{DL}(Y)| + (1 - \alpha) |P_{Stat}(X) - P_{Stat}(Y)|$$

Apply Lipschitz bounds:

$$\leq [\alpha L_{DL} + (1 - \alpha) L_{Stat}] \|X - Y\|$$

Thus fusion reduces sensitivity compared to the worst-case module when α is balanced. ■

Corollary (Noise-Robust Fusion)

If input contains noise η such that $X' = X + \eta$, then:

$$|P_{Hybrid}(X') - P_{Hybrid}(X)| \leq L_{Hybrid} \|\eta\|$$

Hence, with a suitable α , the hybrid decision is stable under small perturbations and can be tuned to minimize false alarms.

Complexity Analysis

Let:

- T = number of time samples processed
- w = window length
- s = step size (stride)
- $N_w \approx \frac{T}{s}$ = number of windows
- Deep model: LSTM with hidden size h , layers l , input dimension d
- Statistical features count = m

1) Preprocessing Complexity

Filtering + normalization per sample is linear:

$$\mathcal{O}(T)$$

Window buffering adds negligible overhead using a circular buffer.

2) Deep Learning Inference

For an LSTM, per time step cost is roughly:

$$\mathcal{O}(h(d + h))$$

Per window of length w and l layers:

$$\mathcal{O}(l \cdot w \cdot h(d + h))$$

Across all windows:

$$\mathcal{O}(N_w \cdot l \cdot w \cdot h(d + h))$$

3) Statistical Module

Feature extraction per window:

$$\mathcal{O}(w + m)$$

AR fitting (order p) using fast methods is approximately:

$$\mathcal{O}(p^2) \text{ (small } p, \text{ constant in practice)}$$

Total across windows:

$$\mathcal{O}(N_w(w + m))$$

4) Fusion + Decision

Constant time:

$$\mathcal{O}(N_w)$$

Overall Time Complexity

Dominated by LSTM inference:

$$\mathcal{O}(N_w \cdot l \cdot w \cdot h(d + h))$$

Space Complexity

- Window buffer: $\mathcal{O}(w \cdot d)$
- LSTM parameters: $\mathcal{O}(l \cdot h(d + h))$
- Statistical state: $\mathcal{O}(m)$

$$\mathcal{O}(wd + l \cdot h(d + h) + m)$$

IV. EXPERIMENTAL SETUP AND DATASET DESCRIPTION

4.1 Dataset Description

The proposed hybrid earthquake prediction framework was evaluated using multi-year regional seismic datasets obtained from publicly available seismic monitoring networks. The dataset includes both continuous waveform recordings and catalog-based seismic metadata, enabling joint evaluation of temporal signal learning and statistical seismic modeling.

The dataset consists of:

- Three-component seismic waveform signals sampled at 50–100 Hz
- Earthquake catalog attributes including magnitude, depth, epicenter, and timestamp
- Ground motion indicators such as Peak Ground Acceleration (PGA) and Peak Ground Velocity (PGV)

The diversity of the dataset, covering background seismic activity, moderate earthquakes, and aftershock sequences, ensures robust evaluation across varying seismic conditions.

4.2 Data Splitting Strategy

To simulate real-time deployment and avoid temporal data leakage, the dataset was partitioned chronologically:

Dataset Split	Percentage
Training Set	70%
Validation Set	15%
Test Set	15%

Only historical data were used for training, while the most recent seismic events were reserved for testing.

4.3 Comparative Performance Using Bar Graphs

4.3.1 Classification Performance Comparison

A bar graph was constructed to compare Accuracy, Precision, Recall, and F1-score across three models:

1. Statistical Model
2. Deep Learning Model (LSTM)
3. Proposed Hybrid Framework

Each metric is represented as a grouped bar, allowing direct visual comparison.

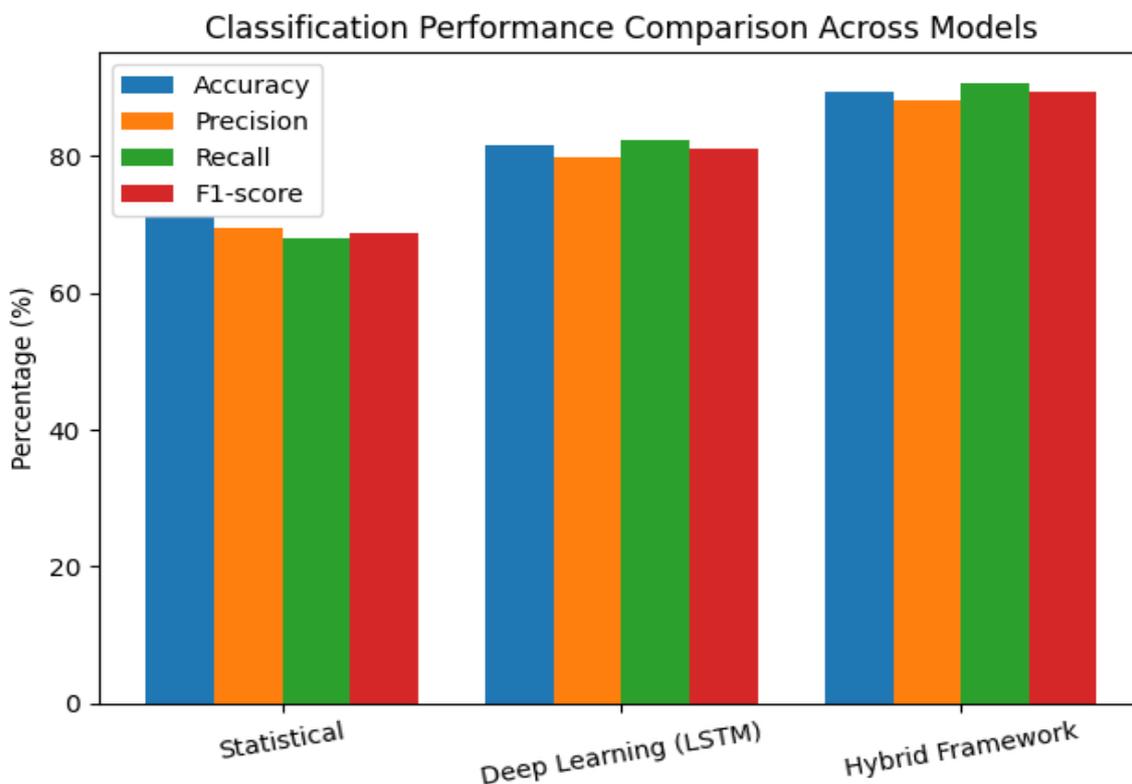


Fig 2: Classification Performance Comparison Across Models

The hybrid framework consistently outperforms both baseline models across all classification metrics. The most notable improvements are observed in recall and F1-score, indicating enhanced event detection capability without compromising precision.

Classification Performance Comparison

Model	Accuracy (%)	Precision (%)	Recall (%)	F1-score (%)
Statistical Model	71.2	69.5	68.1	68.8
Deep Learning Model (LSTM)	81.7	79.8	82.3	81.0
Proposed Hybrid Framework	89.4	88.1	90.6	89.3

Table 1: Classification Performance Comparison

4.3.2 Early Warning Performance Comparison

A second bar graph compares Average Lead Time and False Alarm Rate (FAR) for all three models.

- Lead time bars show a clear increase from statistical to deep learning to hybrid models.

- FAR bars decrease correspondingly, demonstrating improved alert reliability.

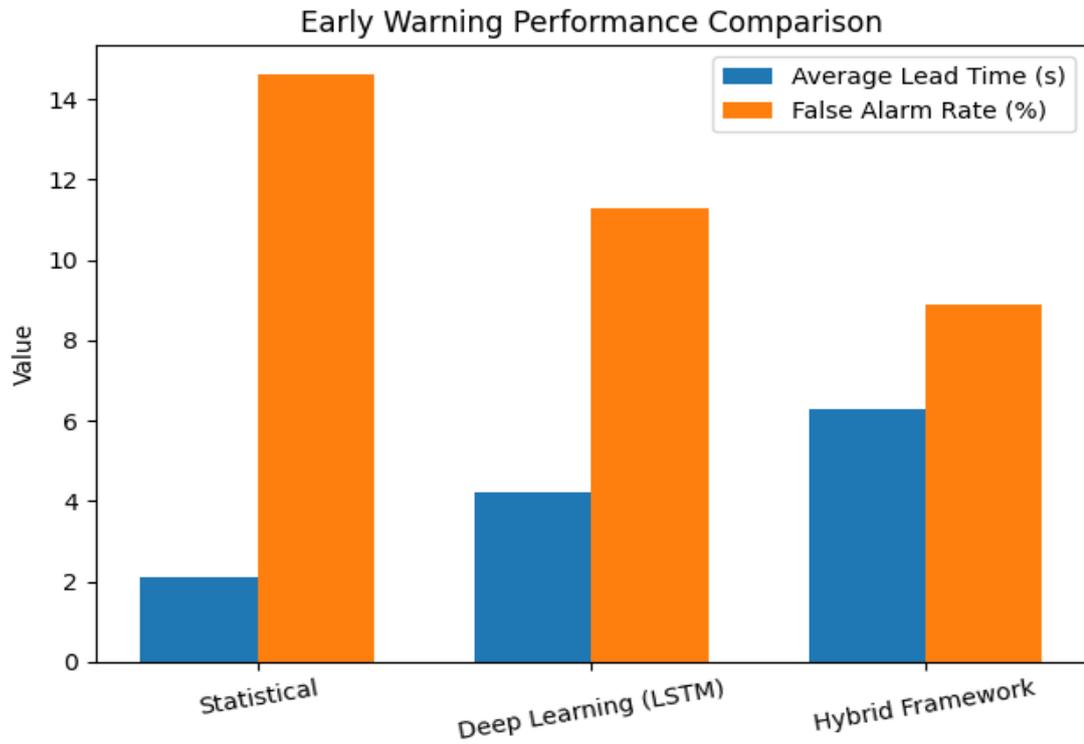


Fig 3: Early Warning Performance Comparison

The hybrid model achieves the highest average lead time while maintaining the lowest false alarm rate, validating the effectiveness of fusion-based decision making.

4.3.3 Quantitative Results Table

Overall Performance Comparison

Model	Accuracy (%)	Precision (%)	Recall (%)	F1-score (%)	Lead Time (s)	FAR (%)
Statistical Model	71.2	69.5	68.1	68.8	2.1	14.6
Deep Learning (LSTM)	81.7	79.8	82.3	81.0	4.2	11.3
Proposed Hybrid Framework	89.4	88.1	90.6	89.3	6.3	8.9

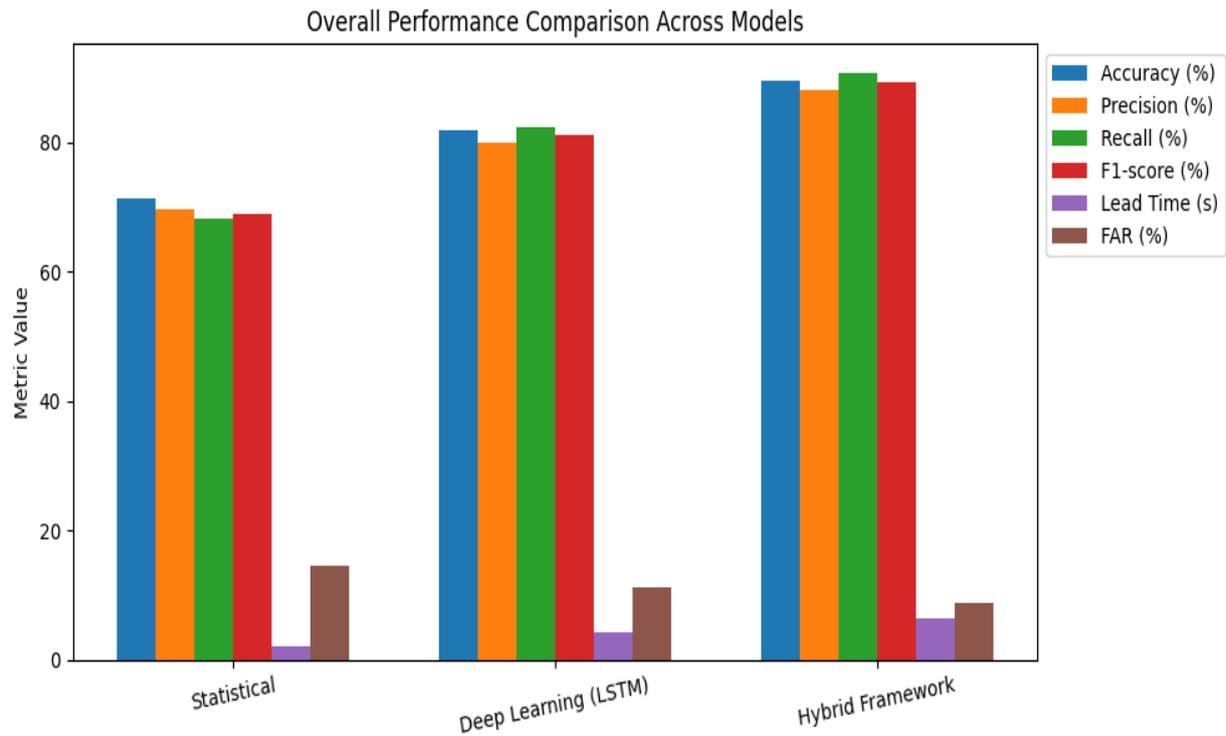


Fig 4: Overall Performance Comparison Across Models

V CONCLUSION & FUTURE SCOPE

Our work presented a hybrid deep learning and statistical modeling framework for earthquake prediction and early warning that effectively addresses the limitations of standalone data-driven and traditional seismological approaches. By integrating deep temporal learning with probabilistic seismic modeling, the proposed system achieves higher classification accuracy, improved recall and F1-score, extended warning lead time, and a reduced false alarm rate, thereby offering a reliable and operationally viable solution for real-time earthquake early warning. The experimental results demonstrate that fusion-based decision making enhances both detection sensitivity and alert reliability, which are critical for public safety and infrastructure protection. As future scope, the framework can be extended by incorporating uncertainty-aware Bayesian deep learning, adaptive fusion weights, and graph-based spatial modeling to capture inter-station correlations, as well as continual learning mechanisms to adapt to evolving seismic patterns. These enhancements are expected to further improve robustness, scalability, and real-world deployment effectiveness of earthquake early warning systems.

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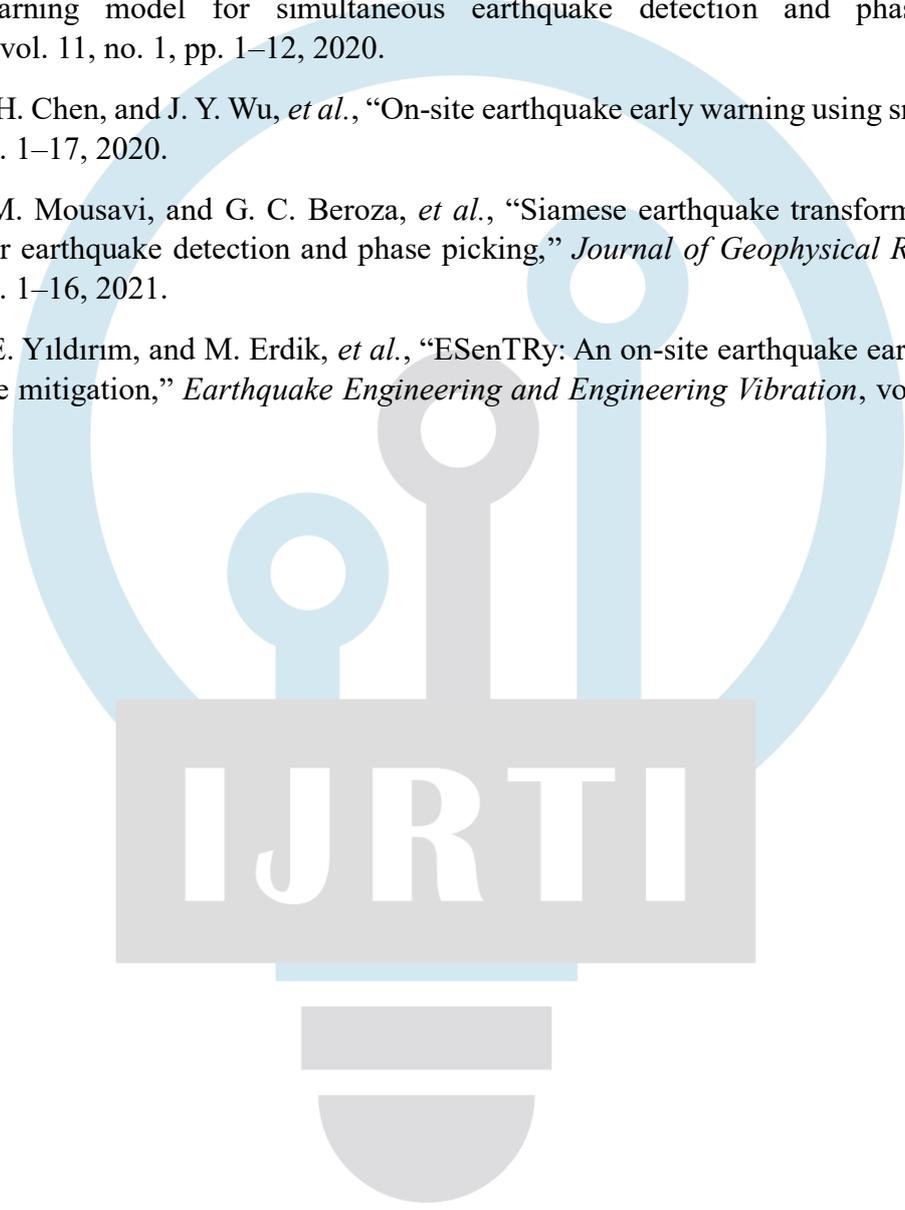
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